Geometry N	lotes
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## Name\_ Key

## 1.4 Measure and Classify Angles

Ray: has \_\_\_\_ endpoint and \_extends \_\_ infinitely in \_\_\_ direction.

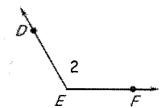
Always label with the endpoint \_\_\_\_ first!!!

Opposite Rays are collinear and have the same endpoint \_\_\_\_\_ \* they form a line \_\_\_\_\_ ; \_\_\_ ; \_\_\_ ;

Angle: a figure formed by 2 noncollinear rays with a common endpoint.

Sides the 2 rays ED EF

Vertex the common endpoint E



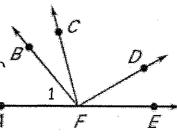
Labeled 3 ways:

- a) 3 letters (vertex is always in the <u>middle</u>)  $\Delta DEF$  or  $\Delta FED$
- b) 1 letter (only if no other angles have the same vertex & E
- c) 1 number 42

 $\angle CFD$  and  $\angle \underline{DFC}$  are the same angle.

Can you say  $\angle BFA$  is the same as  $\angle F$ ? No  $\rightarrow$  other ds with  $\stackrel{B}{\longrightarrow}$  Vertex  $\stackrel{B}{\leftarrow}$ 

Can you say  $\angle BFA$  is the same as  $\angle 1$ ?  $\bigcup A$ 



## Measurement

- Angles are measured in units called degrees
- Use a protractor to measure angles- place the center point of the protractor over the vertex; align the mark labeled 0 on the protractor with one side of the angle.
- Measure of  $\angle ABC$  is abbreviated as m before an angle name, like m  $\angle ABC = 72^{\circ}$

Angle Classification

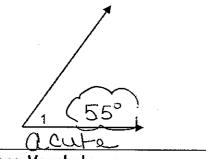
• Acute: if measure is greater than  $0^\circ$  but less than  $90^\circ$ 

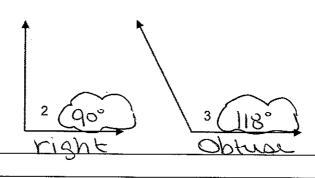
• Right: if the measure is 90°.

• Obtuse: if the measure is greater than  $90^\circ$  but less than  $180^\circ$ 

• Straight: if the measure is  $180^{\circ}$ 

Measure each angle and classify according to the measure:





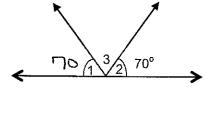
More Vocabulary:

Congruent Angles have the same Measure

According to the picture, fill in the blanks:

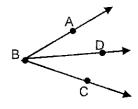
$$\angle 1 \stackrel{\frown}{=} \angle 2$$
 or  $m \angle 1 = m \angle 2$ 

$$\Delta 1 + \Delta 2 + \Delta 3 = 180^{\circ}$$
 $140 + \Delta 3 = 180$ 
 $140 + \Delta 3 = 180$ 
 $\Delta 3 = 40^{\circ}$ 



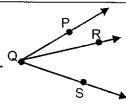
Angle Bisector

- a ray that divides an angle into  $Q \cong \Delta S$
- If BD bisects  $\angle ABC$  then  $\angle ABD = \angle DBC$  and m $\angle ABD = m\angle DBC$

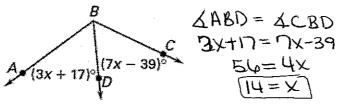


Angle Addition Postulate

• If R is in the interior of  $\angle PQS$  then  $\angle PQR + \angle RQS = \underline{\angle PQS}$ 



1. BD bisects  $\angle ABC$ . Find  $m\angle ABC$ .



2. Given  $mADC = 135^{\circ}$ , find  $m \angle BDA$ .

