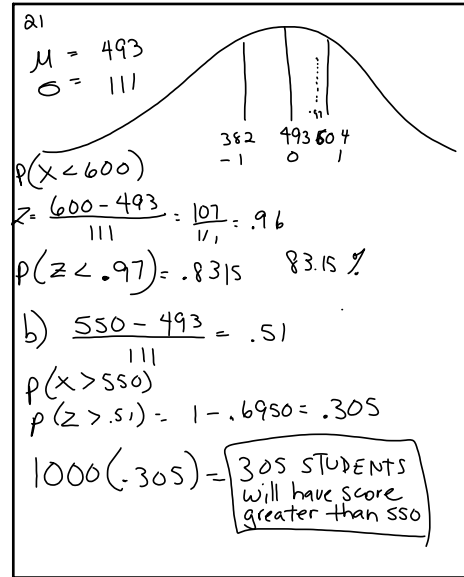
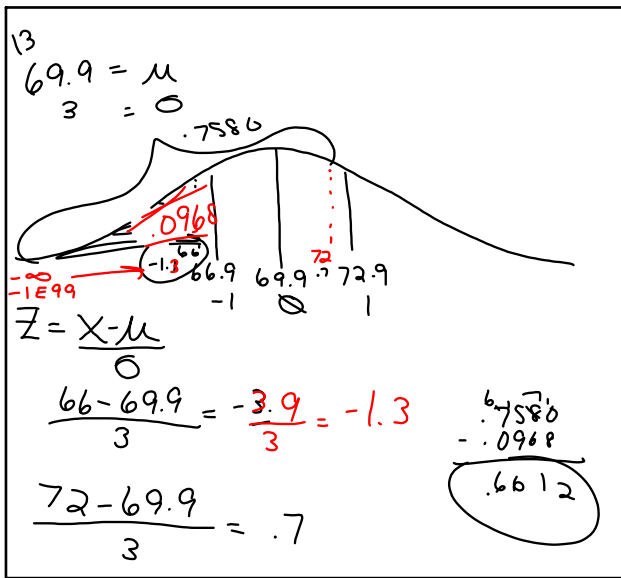


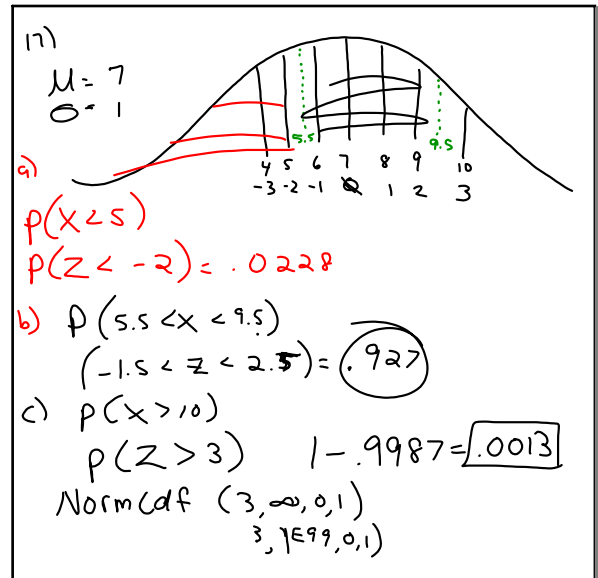
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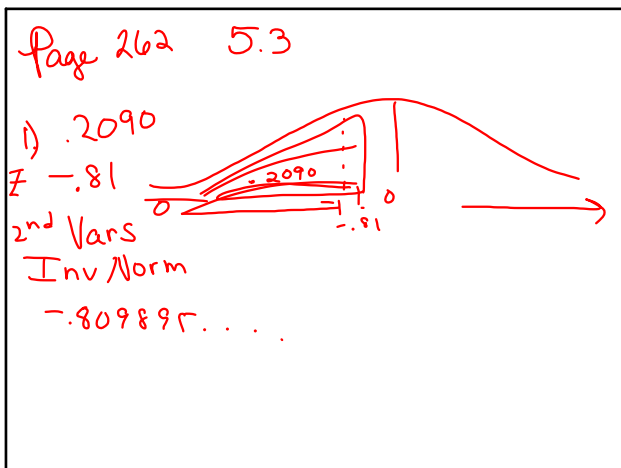
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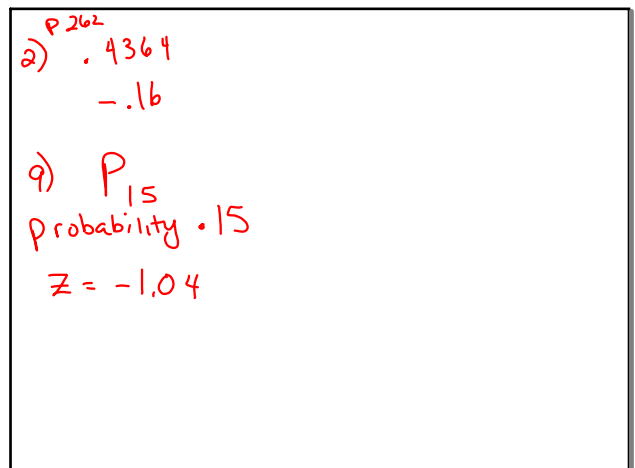
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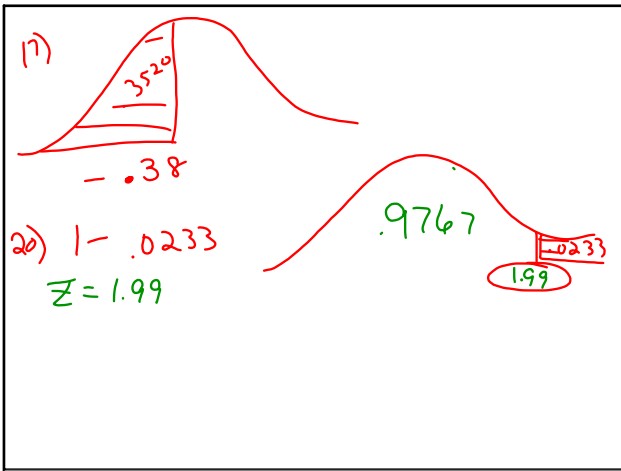
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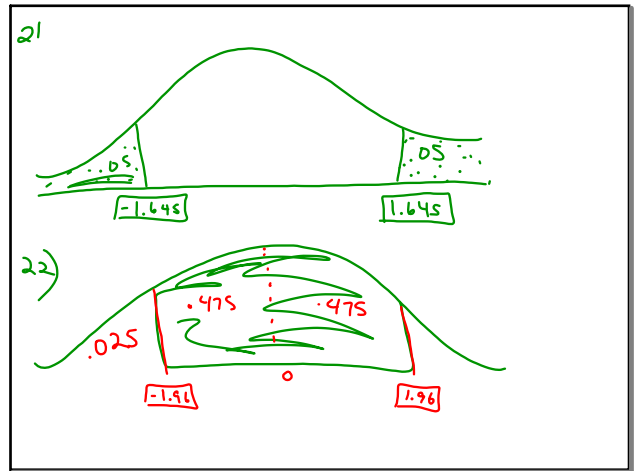
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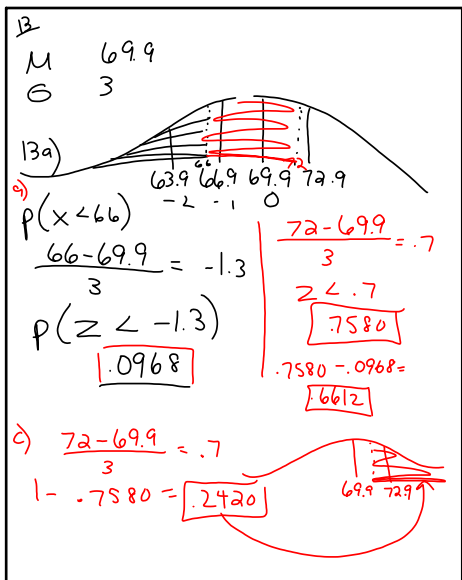
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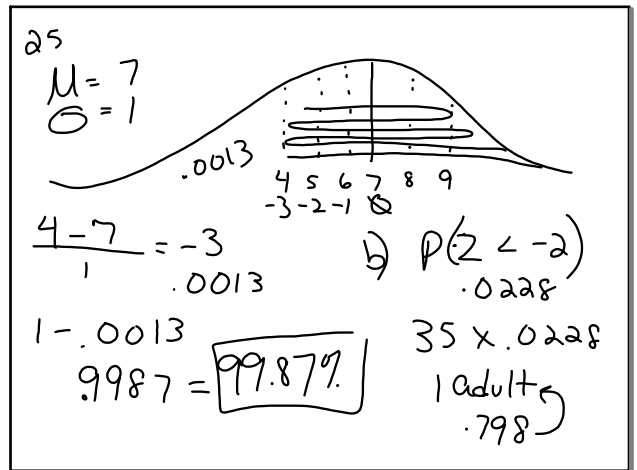
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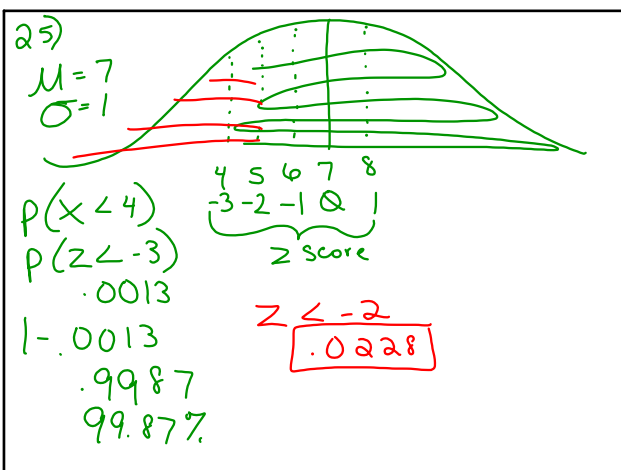
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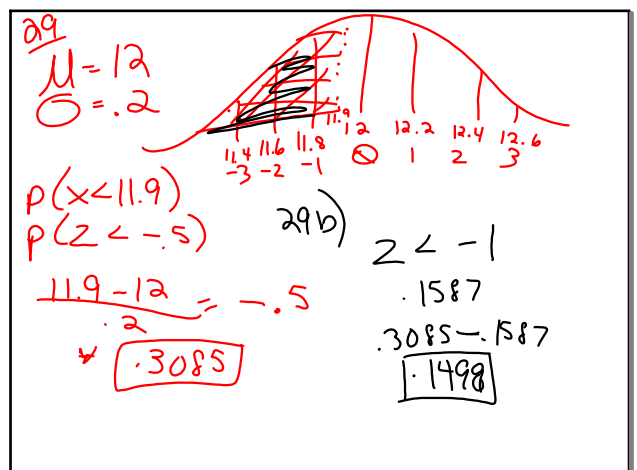
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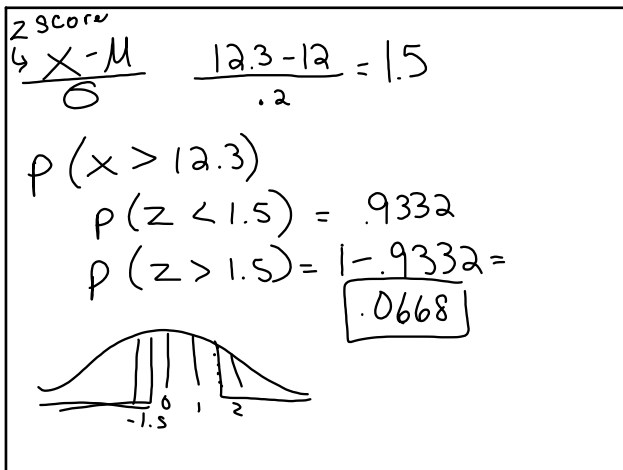
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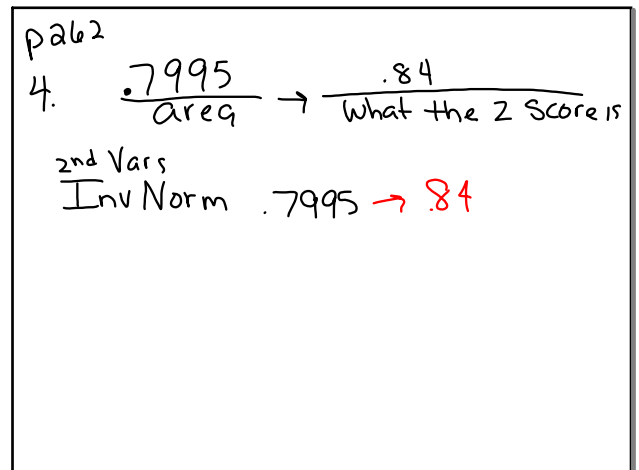
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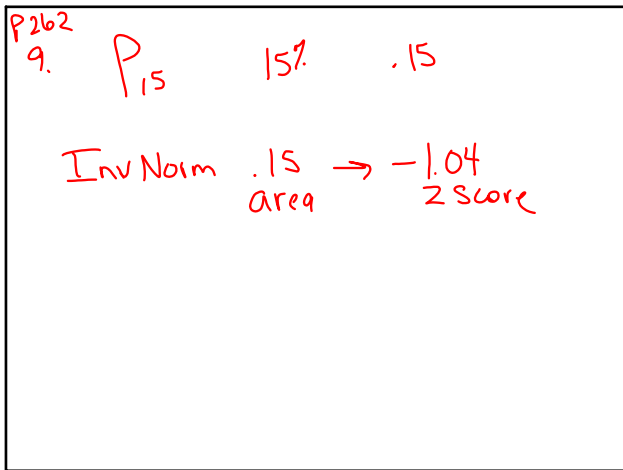
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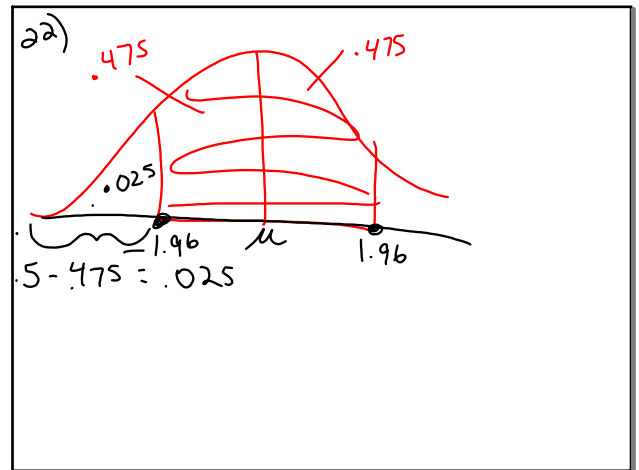
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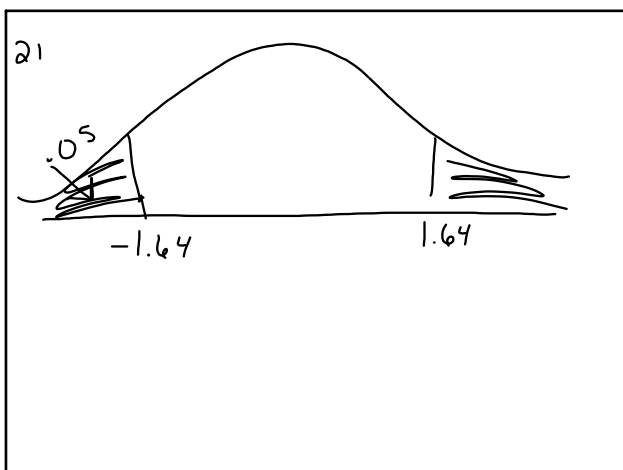
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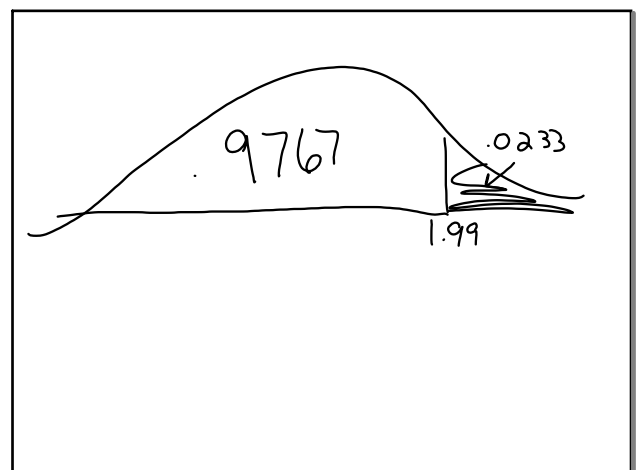
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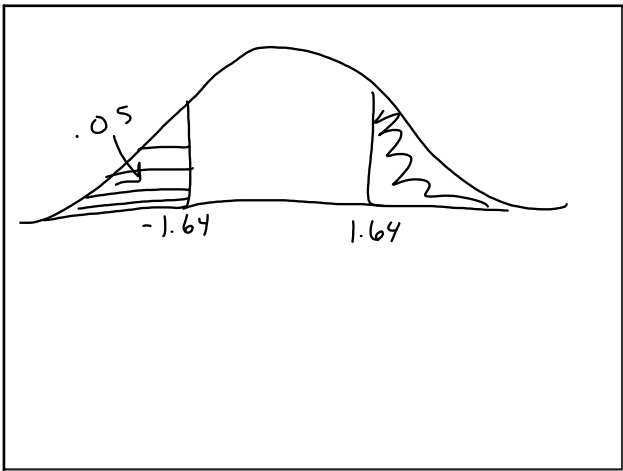
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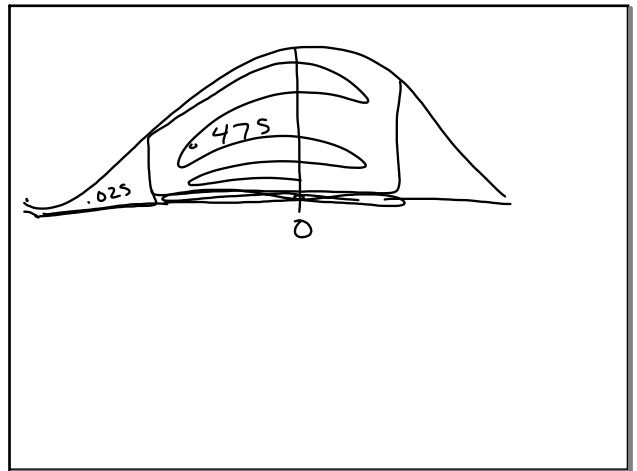
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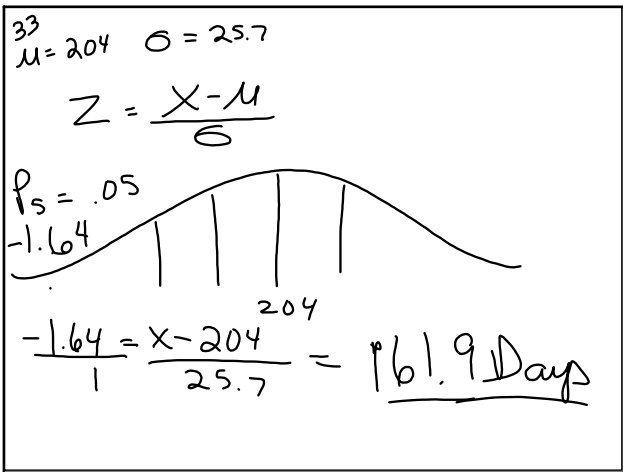
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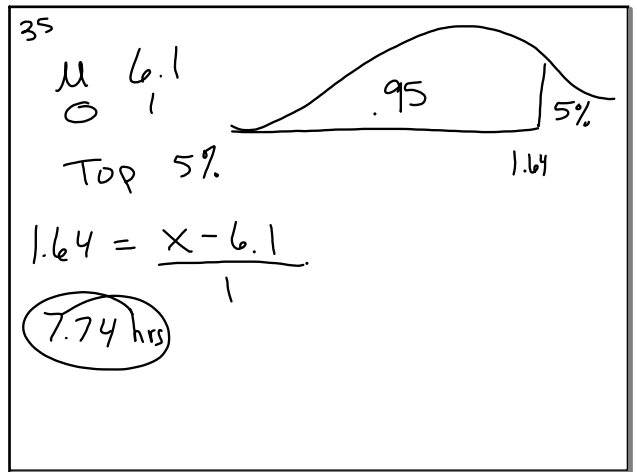
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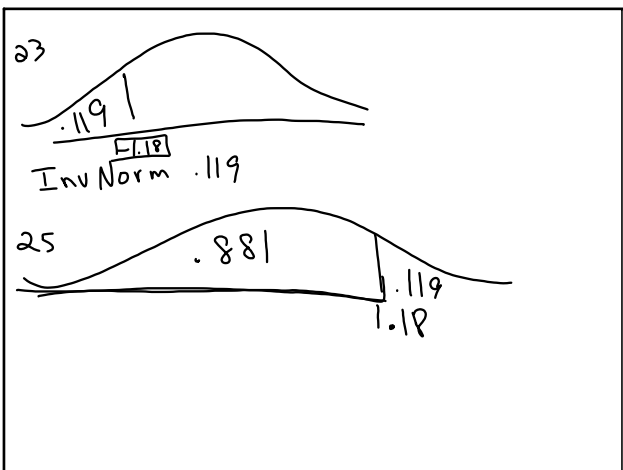
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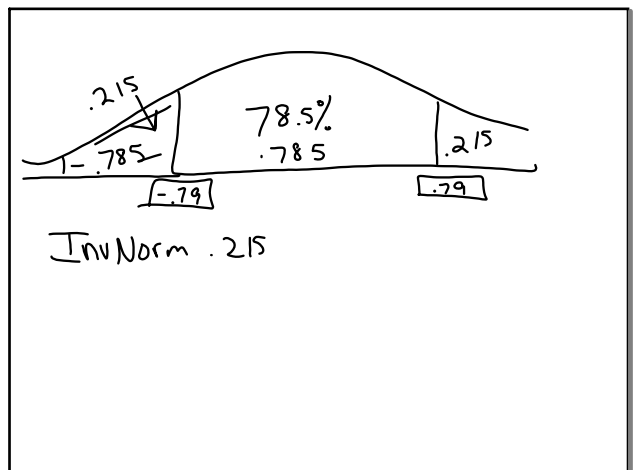
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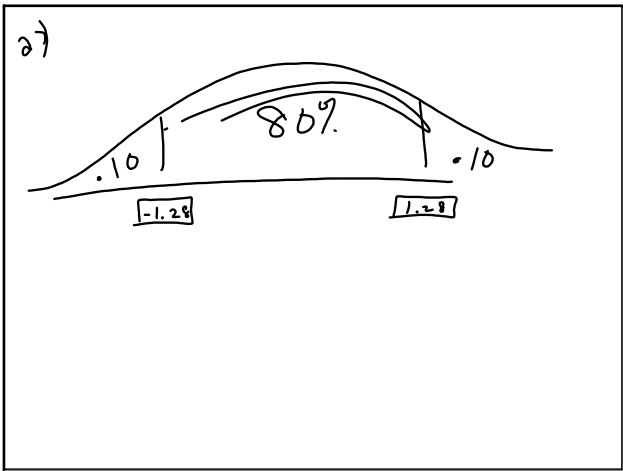
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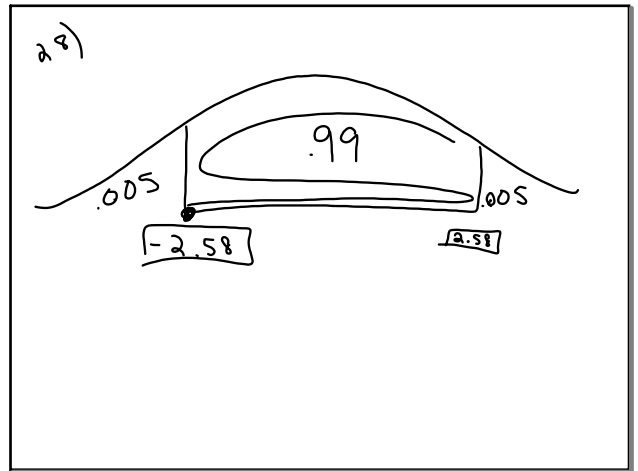
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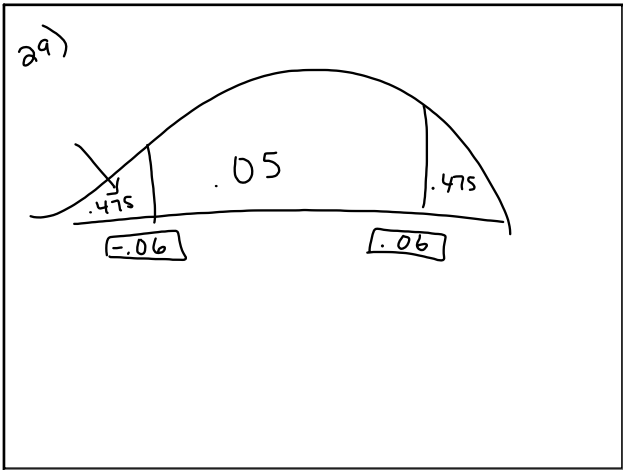
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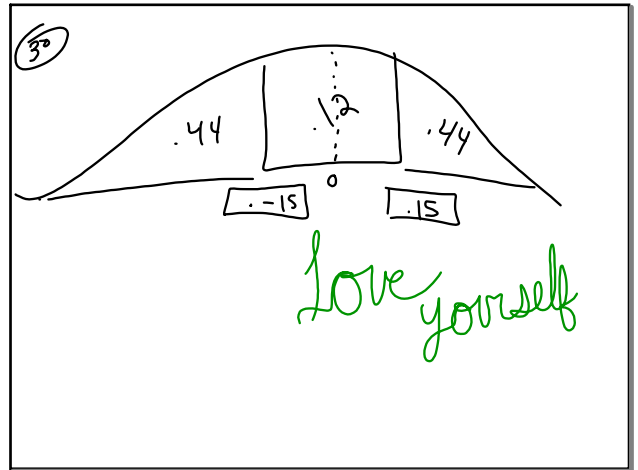
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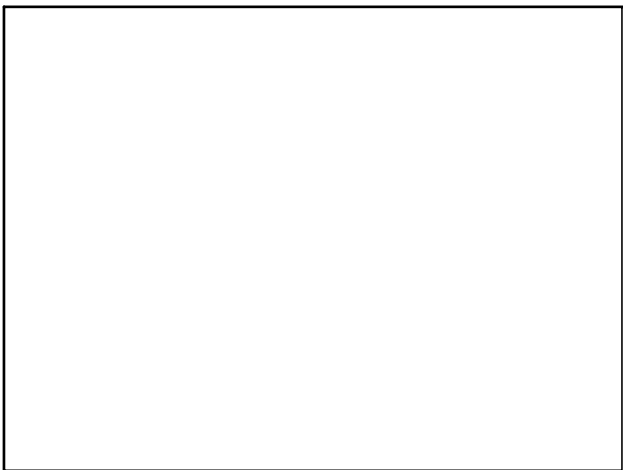
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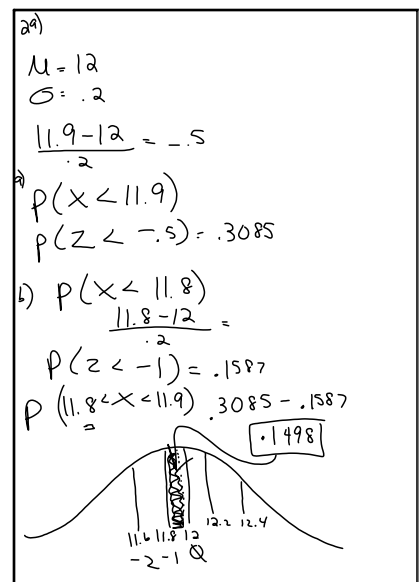
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Mar 3-12:22 PM



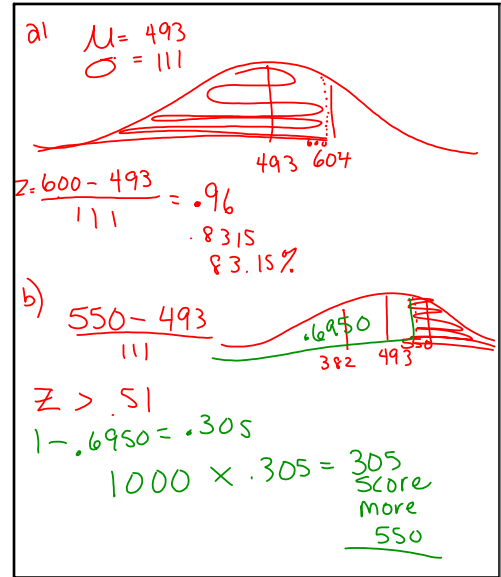
Mar 3-11:42 AM



Mar 3-8:07 AM

$$-1.53 < Z < .2$$

Mar 3-8:28 AM



Mar 3-11:14 AM

$$\frac{Z}{1} = \frac{X - \mu}{\sigma}$$

$$Z\sigma = X - \mu$$

$$Z\sigma + \mu = X$$

Mar 3-8:34 AM

	Area	Zscore
1.	.2090	-.81
2 nd Vars		
InvNorm		
.2090		

Mar 3-8:35 AM

$P_{.15} =$ Percent
 Convert
 Probability .15
 InvNorm .15
 -1.04

Mar 3-8:39 AM

3A

$\mu = 1674$
 $\sigma = 212.5$

1. InvNorm .8

34a) $.84 = \frac{X - 1674}{212.5}$

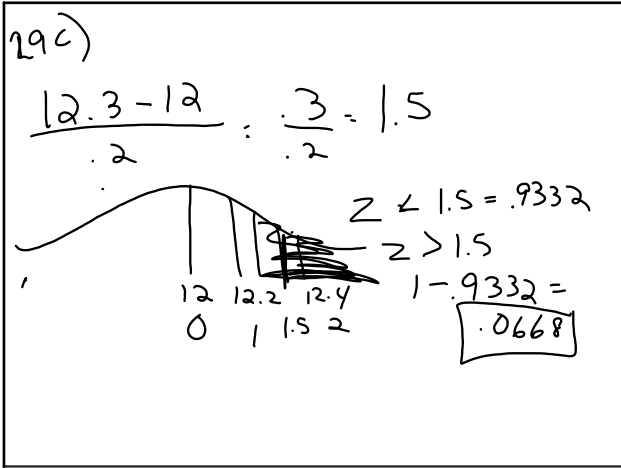
What
 Waiting
 Time Represents

80% ?

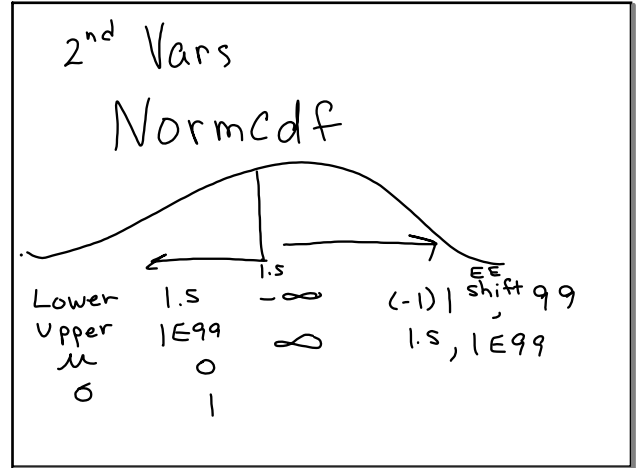
1852.85 DAYS

$Z = \frac{X - \mu}{\sigma}$

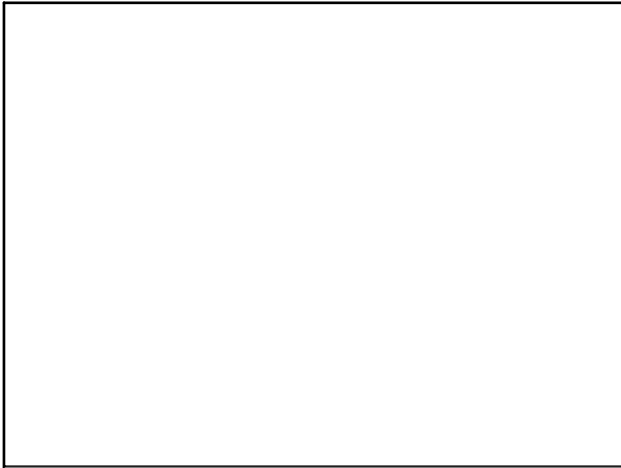
Mar 3-8:42 AM



Mar 3-8:13 AM



Mar 3-8:16 AM



Mar 3-8:22 AM